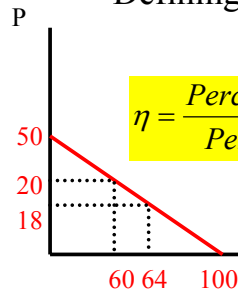


Arc Elasticity

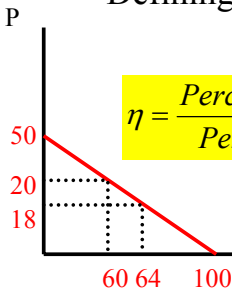
“eta”

η

Defining Arc Elasticity



Defining Arc Elasticity

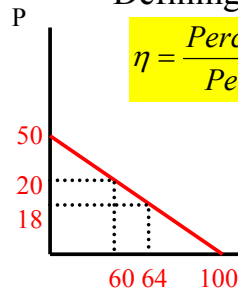


$$\eta = \frac{\text{Percent Change in Quantity}}{\text{Percent Change in Price}}$$

Where:

Percent change is measured as percent of average value

Defining Arc Elasticity



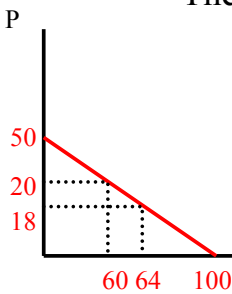
$$\eta = \frac{\text{Percent Change in Quantity}}{\text{Percent Change in Price}}$$

When P changes from 20 to 18, $\Delta p = -2$

Average value of P = 19

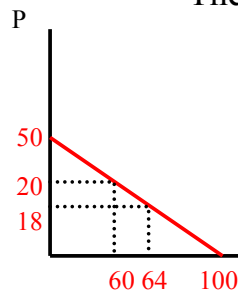
The % change is thus $-2/19$

The Formula

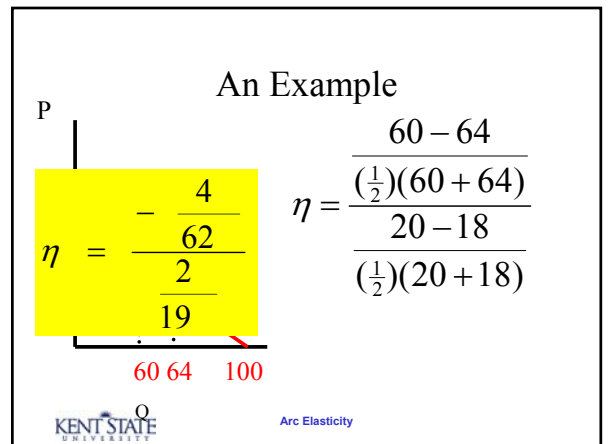
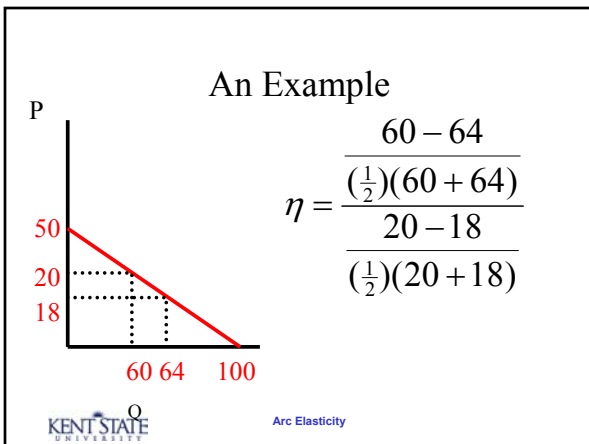
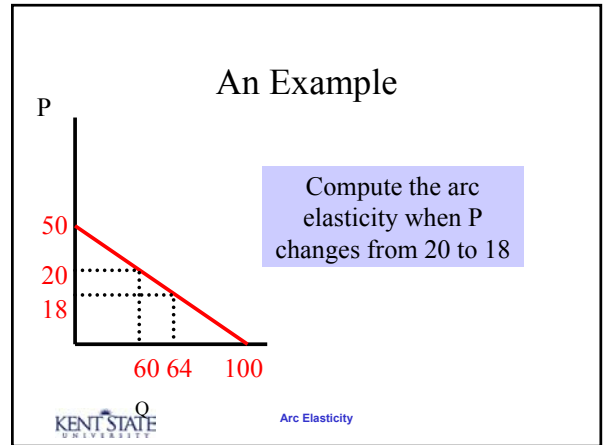
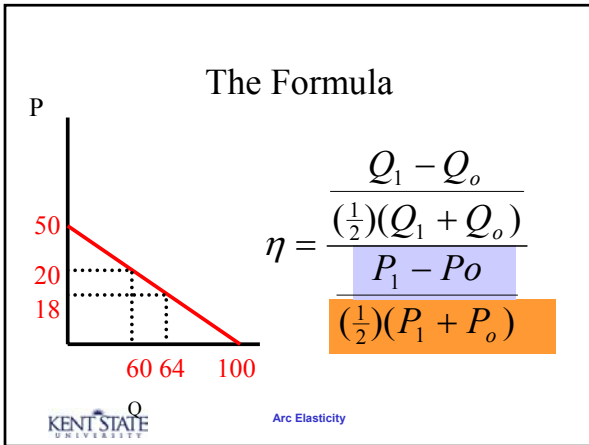
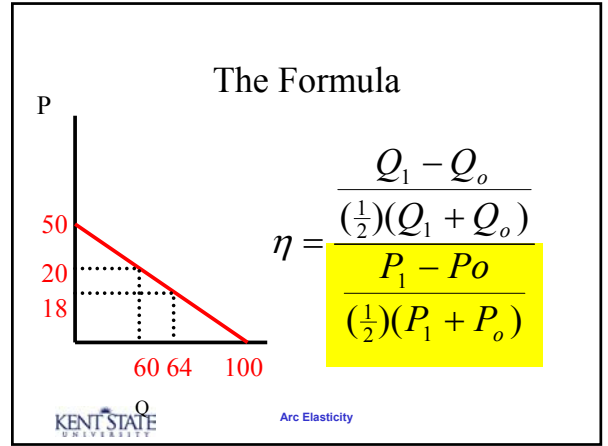
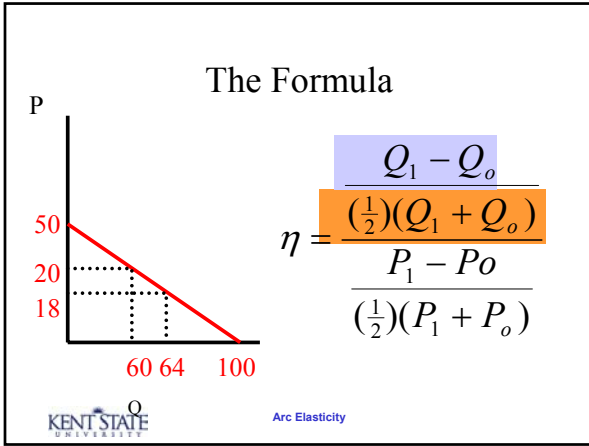


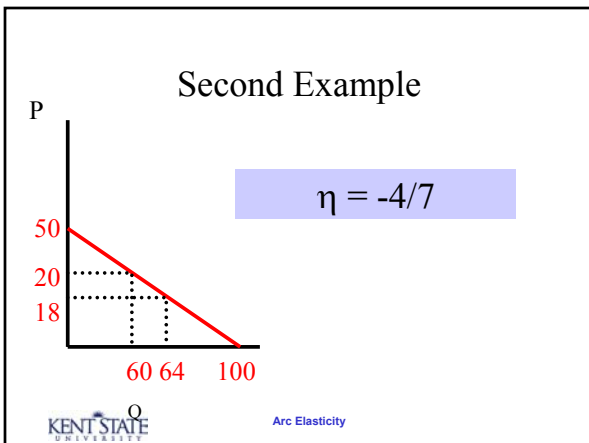
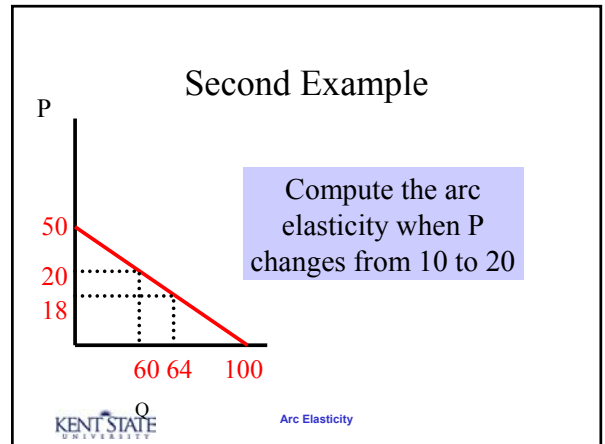
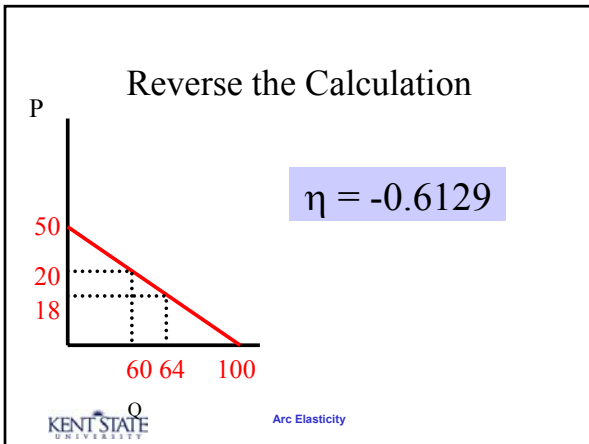
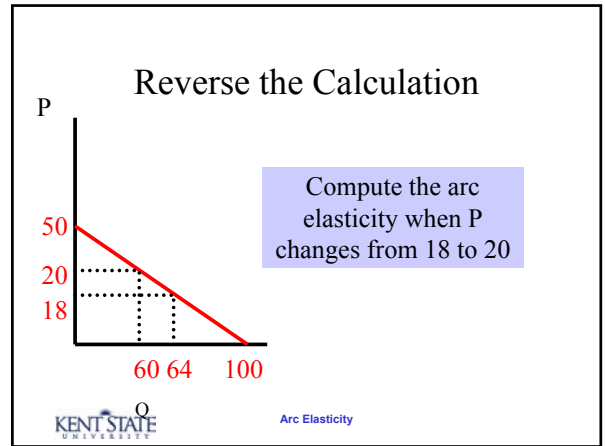
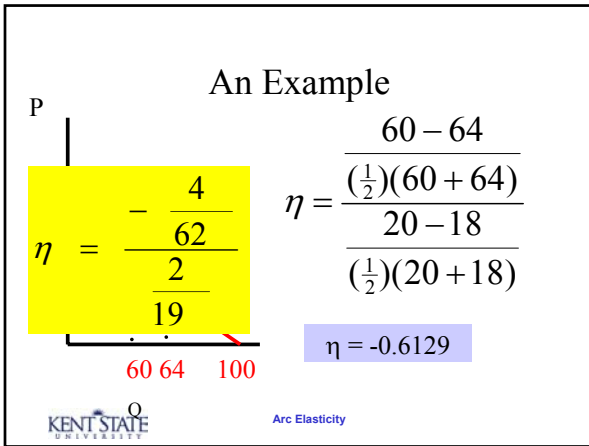
$$\eta = \frac{\frac{Q_1 - Q_0}{(\frac{1}{2})(Q_1 + Q_0)}}{\frac{P_1 - P_0}{(\frac{1}{2})(P_1 + P_0)}}$$

The Formula



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- ### Arc Elasticity and Tables
- 15,000 units were demanded when the price was \$5.
 - 12,000 units were demanded when the price was \$7.
 - Compute the elasticity
- KENT STATE UNIVERSITY Arc Elasticity

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Note that we never said which price came first.

Which method is best?

- The concept of elasticity is defined without reference to any one method of calculation.

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- The concept of elasticity is defined without reference to any one method of calculation.
- There are occasions when the point elasticity formula is best and there are occasions when the arc elasticity formula is best.

Which method is best?

- The concept of elasticity is defined without reference to a specific formula.
 - There are two methods: point elasticities in class, and arc elasticity. The latter is more precise but the former is more convenient. The latter is best.
- In general we tend to use point elasticities in class, because we have the luxury of examples with nice demand curves.

Extensions to other Elasticities

- Income elasticities (measuring the responsiveness of demand with respect to changes in income).

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- Own price elasticities measuring the responsiveness of demand with respect to changes in the price of the good itself.
- Cross price elasticities (measuring the responsiveness of demand with respect to the price of other goods).

End

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