

| Theory of Choice |
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| • Basic Model of Choice |
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## The Basic Model

- Suppose an individual is asked to choose among the following
- Some Simple Illustrations

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## Theory of Choice

- Basic Model of Choice

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## The Basic Model

- Suppose an individual is asked to choose among the following

| Basket "A" | Basket "B" | Basket "C" |
| :---: | :---: | :---: |
| 3 Apples <br> 2 Bananas | 2 Apples <br> 3 Bananas | 1 Apple <br> 4 Bananas |

$\square$

## The Basic Model

- Suppose an individual is asked to choose among the following

- We make some basic assumptions about how the choice will be made


## Assumption of Completeness

- I prefer Basket A to Basket B

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## Assumption of Completeness

- I prefer Basket A to Basket B
- I prefer Basket B to Basket A
- I am indifferent. The two are equally attractive.

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## Assumption of Transitivity

- If $A$ is preferred to $B$ and
- B is preferred to C
- Then A is preferred to C


## Assumption of Completeness

- I prefer Basket A to Basket B
- I prefer Basket B to Basket A

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Assumption of Completeness

- I prefer Basket A to Basket B
- I prefer Basket B to Basket A
- I am indifferent. The two are equally attractive.
- I don't know
- Neither

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## More is Better than Less

- If Basket A contains more than Basket B, then A is preferred to B


## More is Better than Less

- If Basket A contains more than Basket B, then $A$ is preferred to $B$
- Basket A: 3 Apples, 2 Bananas
- Basket B: 2 Apples, 2 Bananas


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## Utility Functions

- The assumptions mean that individuals have a utility function $U(A, B)$

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## Utility Functions

- The assumptions mean that individuals have a utility function $U(A, B)$
- The function gives the "utility" for different combinations of (say) apples and bananas
- If $\mathrm{U}\left(\mathrm{A}_{1}, \mathrm{~B}_{1}\right)>\mathrm{U}\left(\mathrm{A}_{2}, \mathrm{~B}_{2}\right)$ ( $A_{l}, B_{l}$ ) is preferred to ( $A_{2}, B_{2}$ )


## Utility Functions

- The assumptions mean that individuals have a utility function $U(A, B)$
- The function gives the "utility" for different combinations of (say) apples and bananas

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## An Example

$\mathrm{U}=\mathrm{AB}$

| Utility from Different Baskets |  |  |  |
| :---: | :---: | ---: | ---: |
| Choice | Apples | Bananas | Units of <br> Utility |
| $\boldsymbol{A}$ | $\mathbf{4}$ | $\mathbf{1}$ | $\mathbf{4}$ |
| B | 2 | 2 | 4 |
| C | 3 | 3 | 9 |
| D | 3.5 | 4 | 14 |

The Theory of Choice

## An Example

$\mathrm{U}=\mathrm{AB}$

| Utility from Different Baskets |  |  |  |
| :---: | :---: | ---: | ---: |
| Choice | Apples | Bananas | Units of <br> Utility |
| A | 4 | 1 | 4 |
| B | 2 | 2 | 4 |
| C | 3 | 3 | 9 |
| D | 3.5 | 4 | 14 |

Modifying the Example

| $\boldsymbol{U = ( A B ) ^ { \mathbf { 2 } }}$ |  |  |  |
| :---: | ---: | ---: | :---: |
| Utility from Different Baskets |  |  |  |
| Choice | Apples | Bananas |  |
|  |  |  |  |

$D>C>B=A$


## Ordinality

- $U($ Basket $A)=10$
- $U($ Basket B) $=7$
$\boldsymbol{A}>\boldsymbol{B}$


## Period!

